What was done:

- Explicit spin state checking
- Skip pulses with undefined spin state
- Recalculate asymmetry for all noise runs
- Calculate NULL asymmetry (same spin state pair asymmetry)

What was done:

- Explicit spin state checking algorithm for the pair asymmetry:
 - 1. Read a pulse pair (wire data and spin flipper data)
 - 2. Check and set spin state for both pulses (SF signal > threshold: state = spin down otherwise: state = spin up)
 - 3. Check that the two pulses have opposite spin state and that spin state is defined
 - a. If first pulse spin state is not defined increment by one pulse and go to 1.
 - b. If second pulse spin state is not defined increment by two and go to 1.
 - c. If the two pulses don't have different defined spin states, increment by one and go to 1.
 - d. Otherwise continue with 4 below
 - 4. Compute the asymmetry $\frac{Y_1^+ Y_2^-}{Y_1^+ + Y_2^-}$ increment by two pulses and go back to 1.

All other calculations, weightings and combinations were left the same (as done by Mark and Kabir).

What was done:

- Explicit spin state checking algorithm for the NULL asymmetry:
 - 1. Read a pulse quartet (wire data and spin flipper data)
 - 2. Check and set spin state for all 4 pulses (SF signal > threshold: state = spin down otherwise: state = spin up)
 - 3. Check that spin states are defined and that we one of the following patterns

- a. Successively increment by one pulse (going back to 1) until a valid sequence is found (an even number of up and down pulses).
- b. Otherwise continue with 4 below
- 4. Compute NULL asymmetry then increment by 4 pulses and go back to 1.

The two possibilities
$$\frac{Y_i^+ - Y_j^+}{Y_i^+ + Y_j^+}$$
 and $\frac{Y_i^- - Y_j^-}{Y_i^- + Y_j^-}$ are averaged independently.

All other calculations, weightings and combinations were left the same (as done by Mark and Kabir).

Asymmetries with explicit spin state check:

• Tuesday runs only:

$$A_{ped} = (0.26 \pm 1.97) \times 10^{-9}$$

 $A_{ped,null} = (0.34 \pm 1.97) \times 10^{-9}$

• Summer runs (all):

$$A_{ped} = (16.4 \pm 1.80) \times 10^{-9}$$

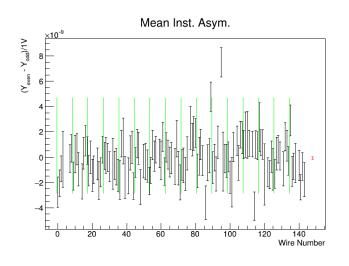
$$A_{ped,null} = (1.09 \pm 1.80) \times 10^{-9}$$

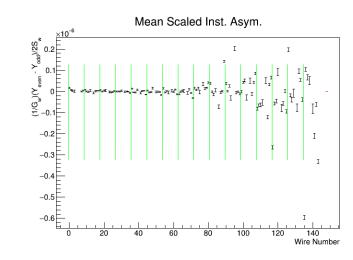
• Inter runs:

$$A_{ped} = (1.43 \pm 0.86) \times 10^{-9}$$

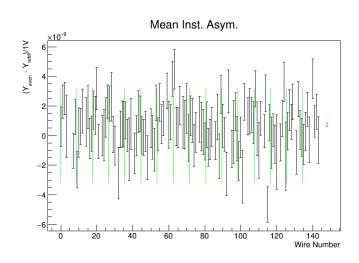
$$A_{ped,null} = (-0.013 \pm 0.86) \times 10^{-9}$$

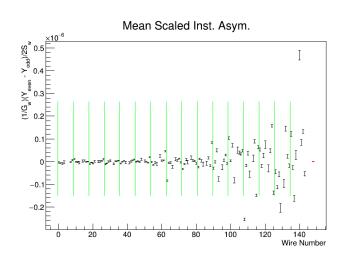
Tuesday Runs Noise Asymmetry:



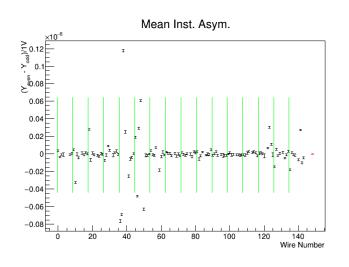


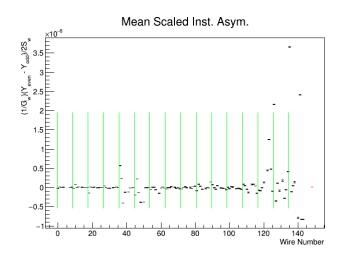
Tuesday Runs Noise Null Asymmetry



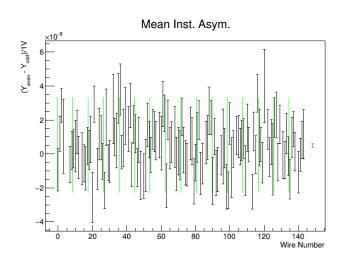


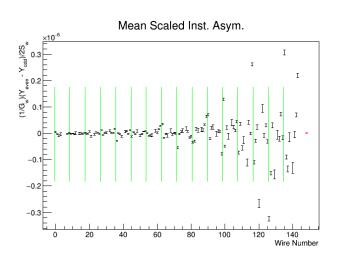
Summer Runs Noise Asymmetry:



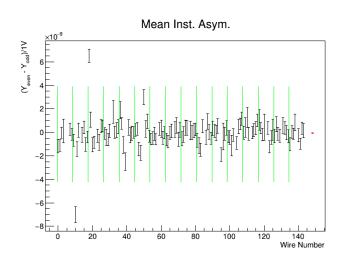


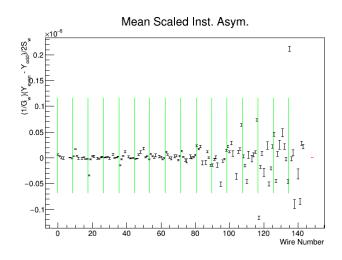
Summer Runs Noise Null Asymmetry





Inter Runs Noise Asymmetry:





Inter Runs Noise Null Asymmetry

