Asymmetry using weighted average

Calculating Weighted Asymmetry

Suppose the asymmetry for the i-th wire for data set with RFSF On state for dropped pulses is given by -

$$A_i^{\uparrow} = \bar{A}_i^{\uparrow} \pm \Delta \bar{A}_i^{\uparrow}$$

where $\Delta \bar{A}_i^{\uparrow}$ is calculated using,

$$\Delta \bar{A}_i^{\uparrow} = \frac{\sigma}{\sqrt{N}}$$

where σ is the standard deviation form i-th histogram and N is the number of samples (Up-down spin pairs) in the histogram.

Similarly for RFSF Off state -

$$A_i^{\downarrow} = \bar{A}_i^{\downarrow} \pm \Delta \bar{A}_i^{\downarrow}$$

Then, Weight,

$$w_i^{\uparrow} = \frac{1}{\left(\Delta \bar{A}_i^{\uparrow}\right)^2}$$
$$w_i^{\downarrow} = \frac{1}{\left(\Delta \bar{A}_i^{\downarrow}\right)^2}$$

And the weighted average,

$$\bar{A}_i^{weighted} = \frac{w_i^{\uparrow} \bar{A}_i^{\uparrow} + w_i^{\downarrow} \bar{A}_i^{\downarrow}}{w_i^{\uparrow} + w_i^{\downarrow}}$$

And the error is the weighted average,

$$\Delta \bar{A}_i^{weighted} = \frac{1}{\sqrt{w_i^{\uparrow} + w_i^{\downarrow}}}$$

So on the plot each point represents –

$$A_i^{weighted} = \bar{A}_i^{weighted} \pm \Delta \bar{A}_i^{weighted}$$

LR weighted sum



LR weighted sum front layers



LR weighted difference



LR weighted difference (Front layers)



UD Sum



UD difference

