

Correlations

Carlos Olguin
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Correlations

- Instrumental asymmetry, full setup
- Instrumental asymmetry ADC only.
- Up-Down asymmetry.

Covariance matrix

- For detector **m**, and pulse pair **i**, the instrumental asymmetry is:

$$A_{m,i} = Y_{+i} - Y_{-i}$$

- Covariance:

$$C_{m,n} = \frac{1}{N} \sum_{i=1}^N (A_{m,i} - \mu_m)(A_{n,i} - \mu_n)$$

- Correlation:

$$D_{m,n} = \frac{C_{m,n}}{\sigma_m \sigma_n}$$

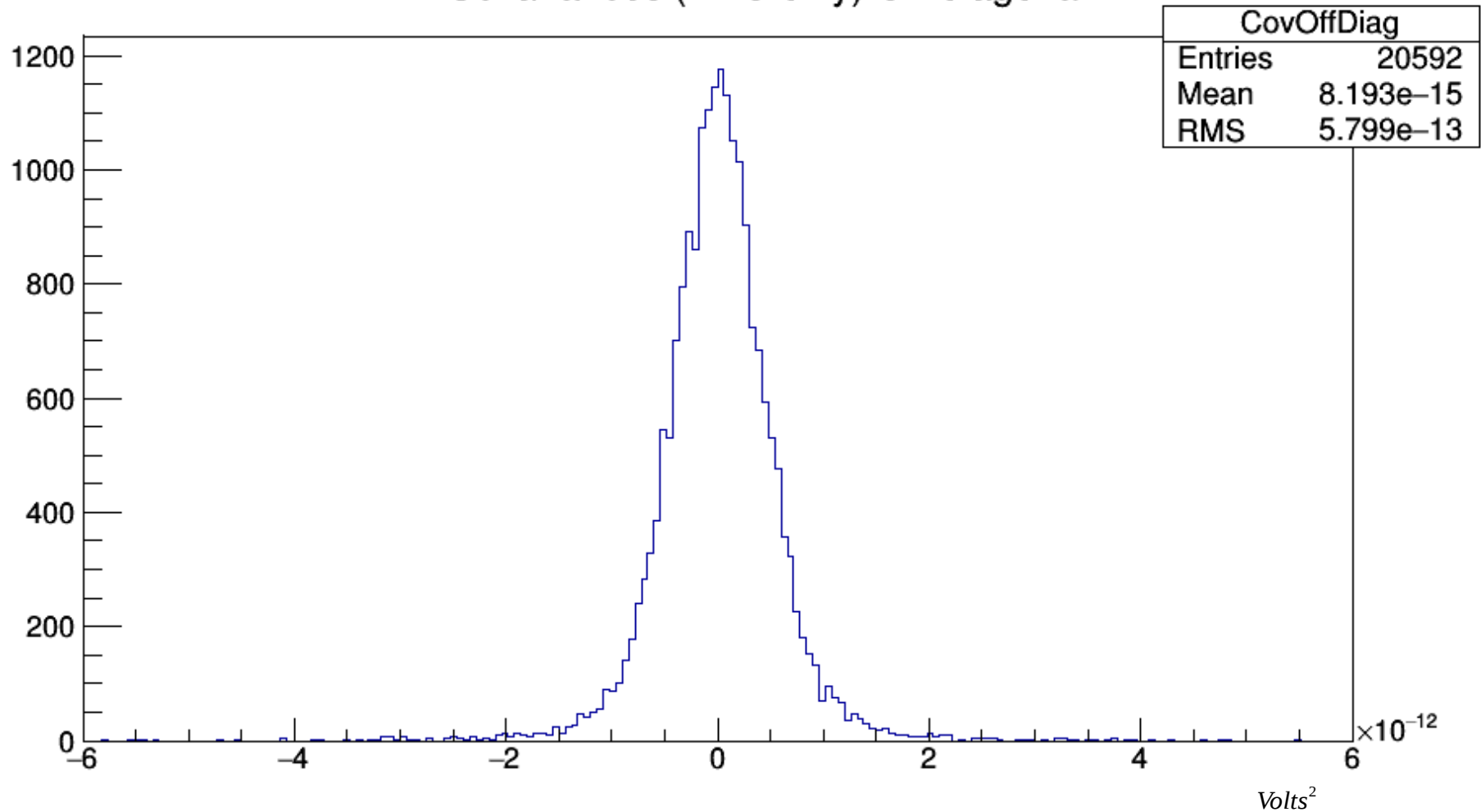
The test

- $A_{m,i}$ are Gaussian random variables, hence
 $E(A_{m,i})=0$
- If detector m and n are independent, then
 $E(A_{m,i} A_{n,i})=E(A_{m,i})E(A_{n,i})=0$
- From the central limit theorem the PDF of $C_{m,n}$ is Gaussian.

ADC only (24 hrs)

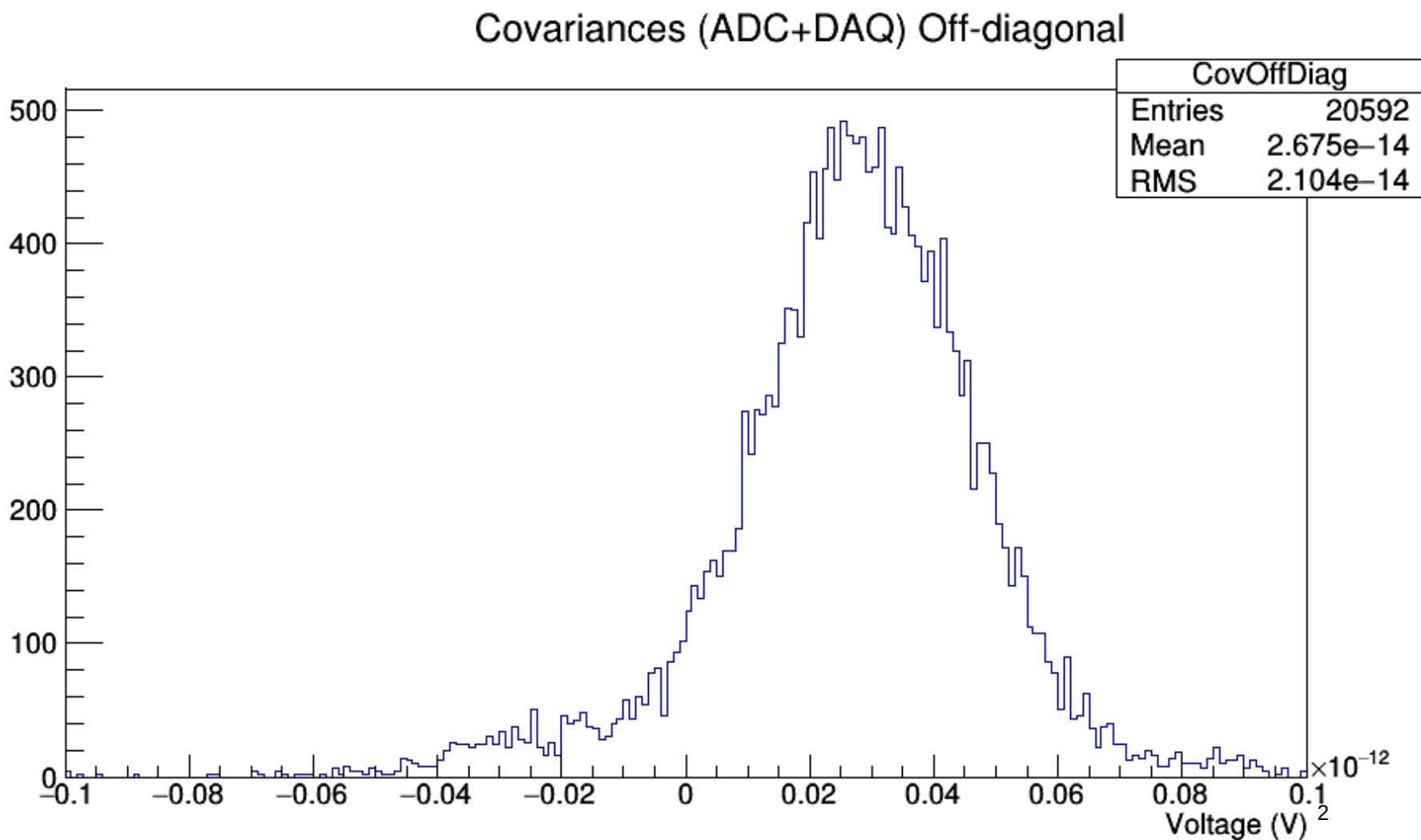
m!=n

Covariances (ADC only) Off-diagonal

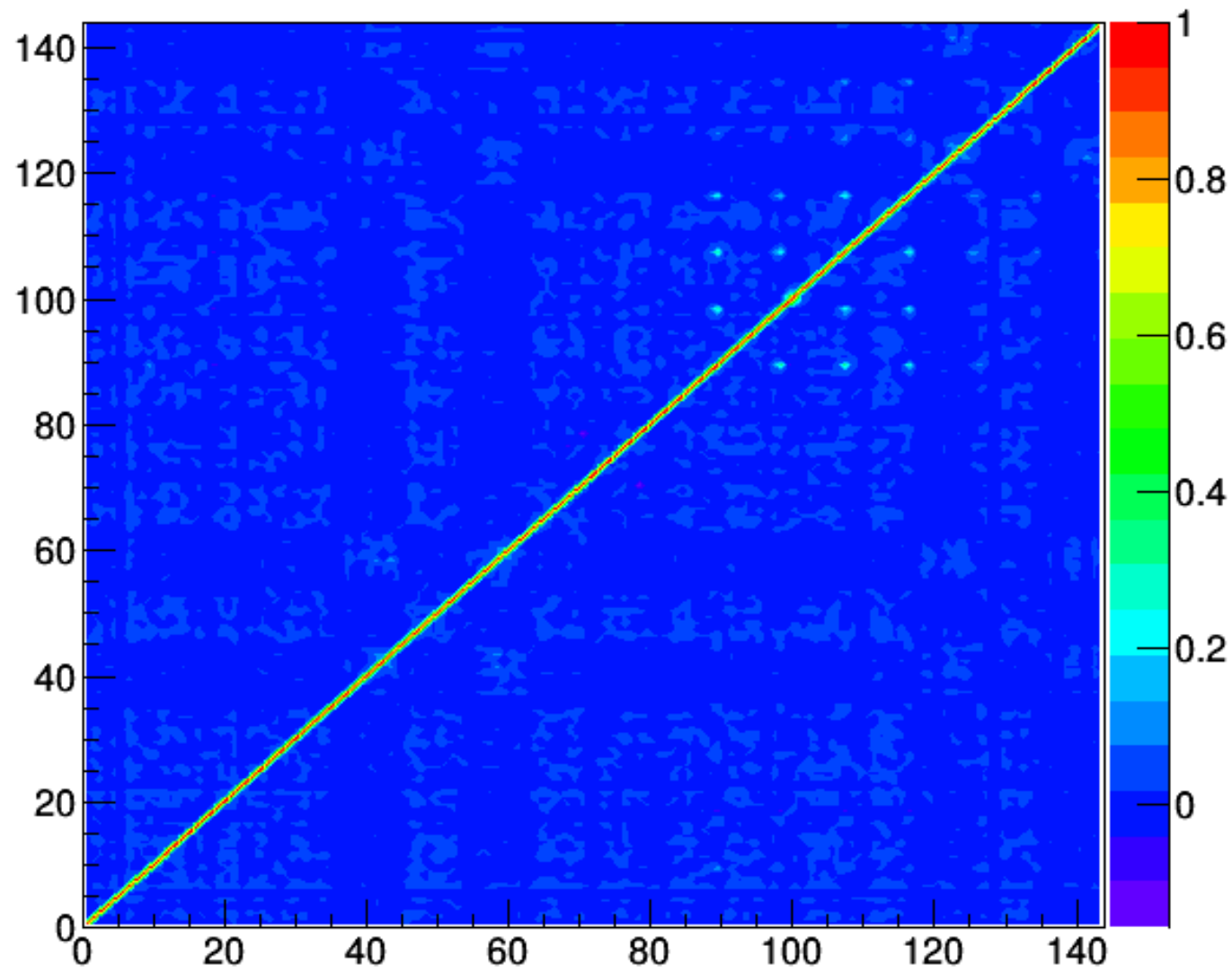


Full setup (ADC+DAQ)

$m \neq n$



Correlation matrix (FA)



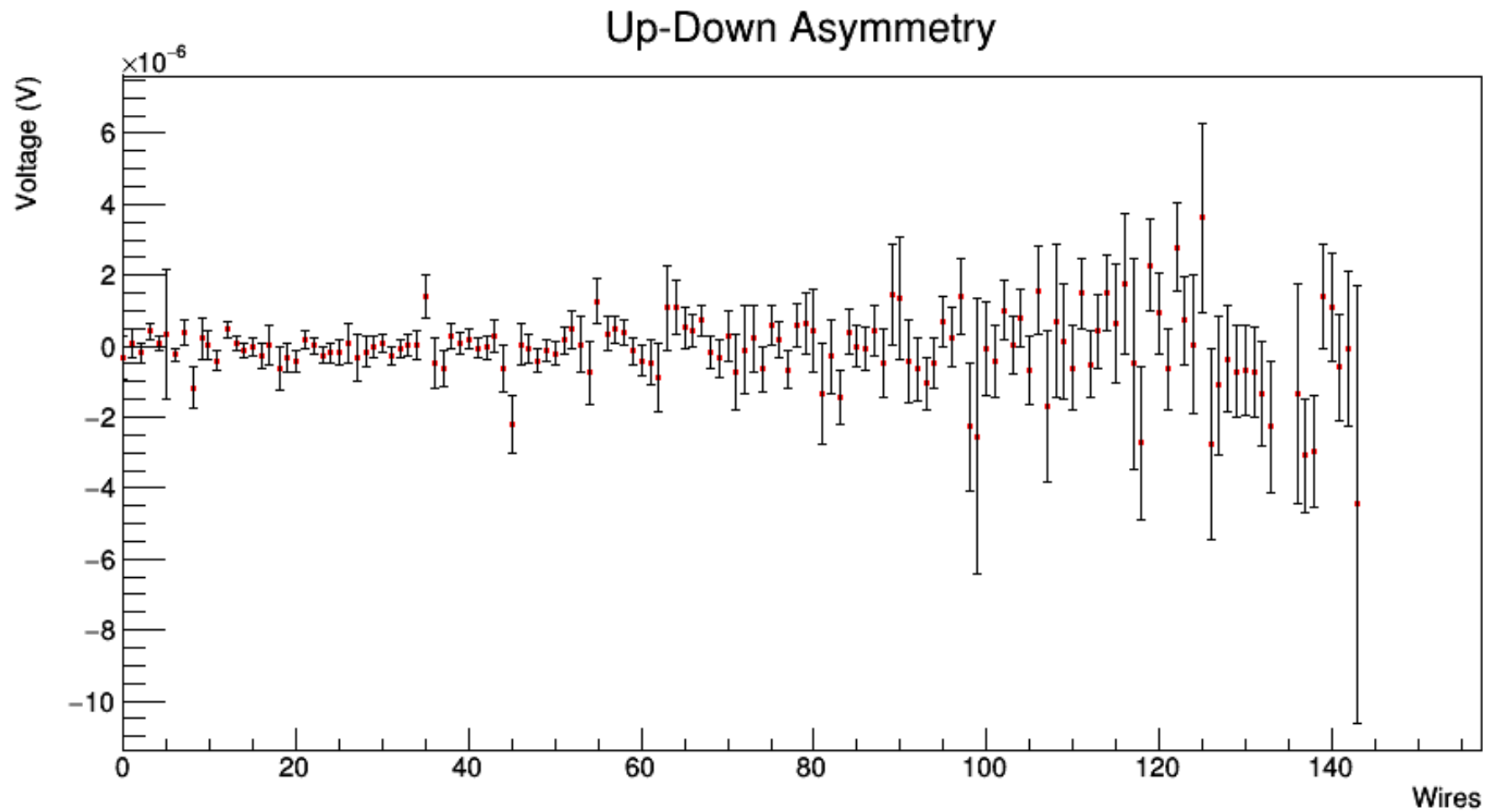
Correlation
0.0
0.2
0.4
0.6
0.8
1.0

Up-Down Asymmetry

- Runs #20100- #20250
- Normalized using the sum of all the detectors.
- Discard dropped pulses and the next 8 pulses.

$$A_{m,i} = \frac{Y_i^+ - Y_i^-}{Y_i^+ + Y_i^-} \quad C_{m,n} = \frac{1}{N} \sum_{i=1}^N (A_{m,i} - \mu_m)(A_{n,i} - \mu_n)$$

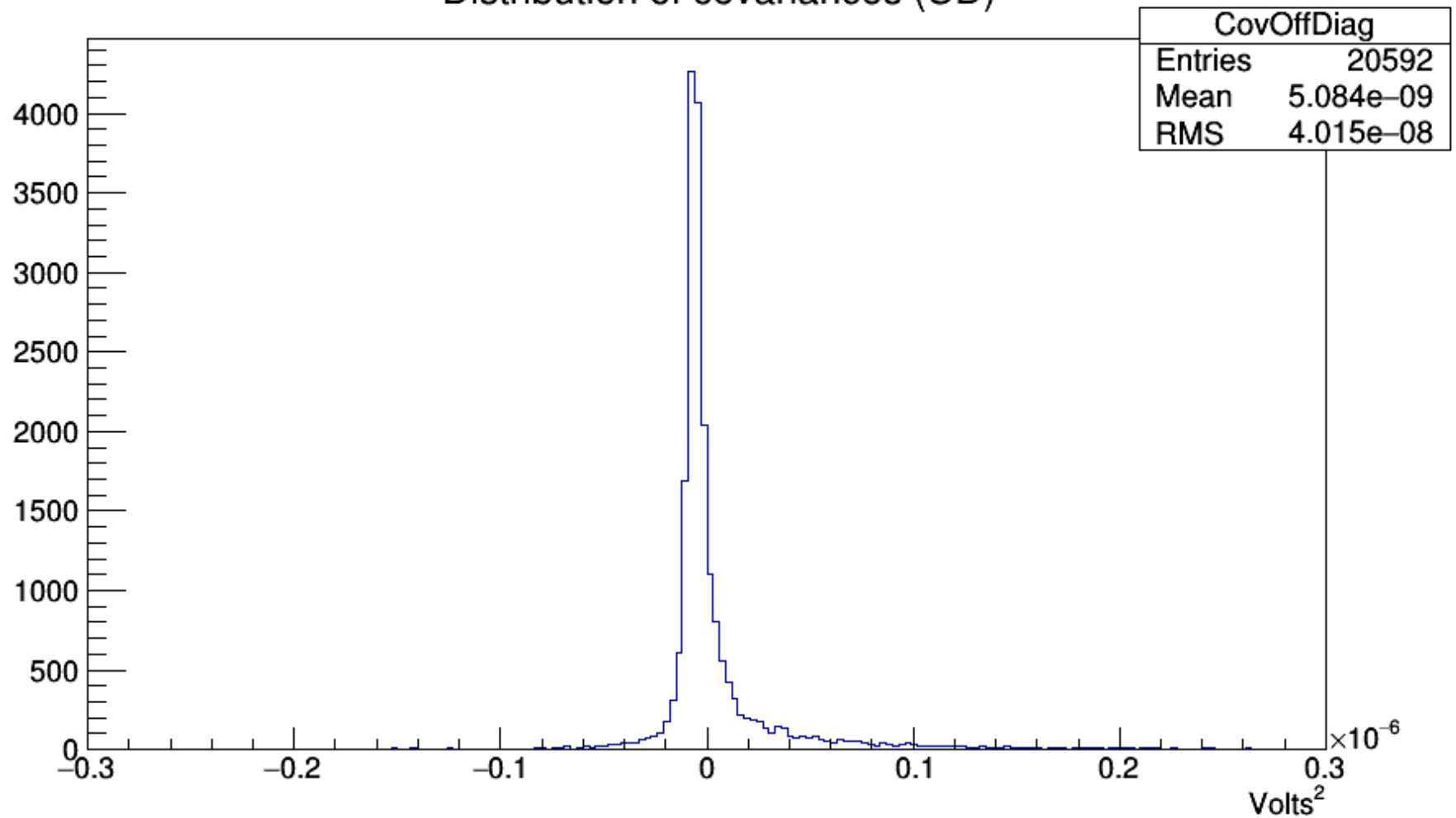
Up-Down Asymmetry



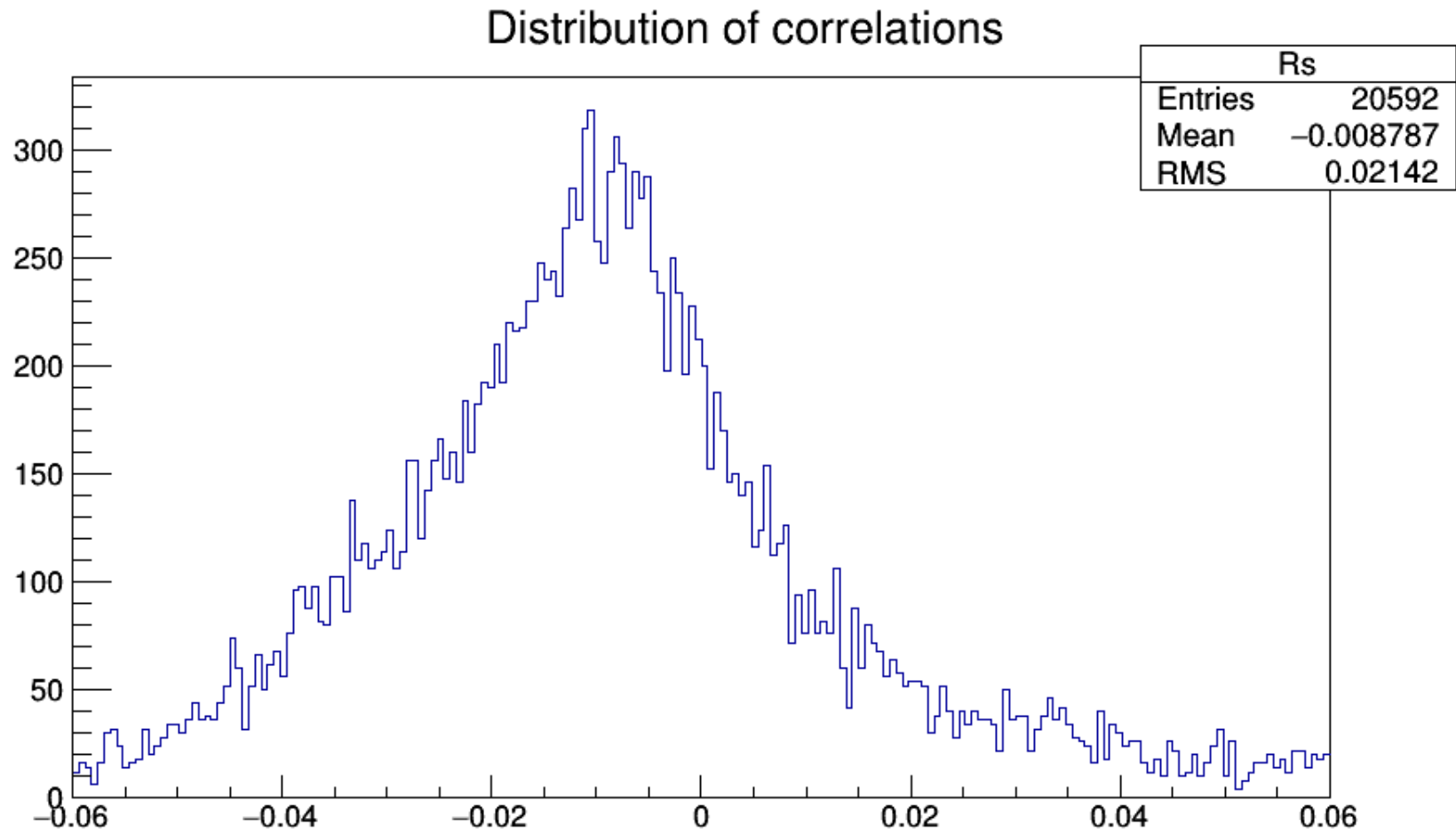
$$UD = -4.95 \times 10^{-8} \text{ (+/-) } 6.69 \times 10^{-7}$$

Covariance

Distribution of covariances (UD)

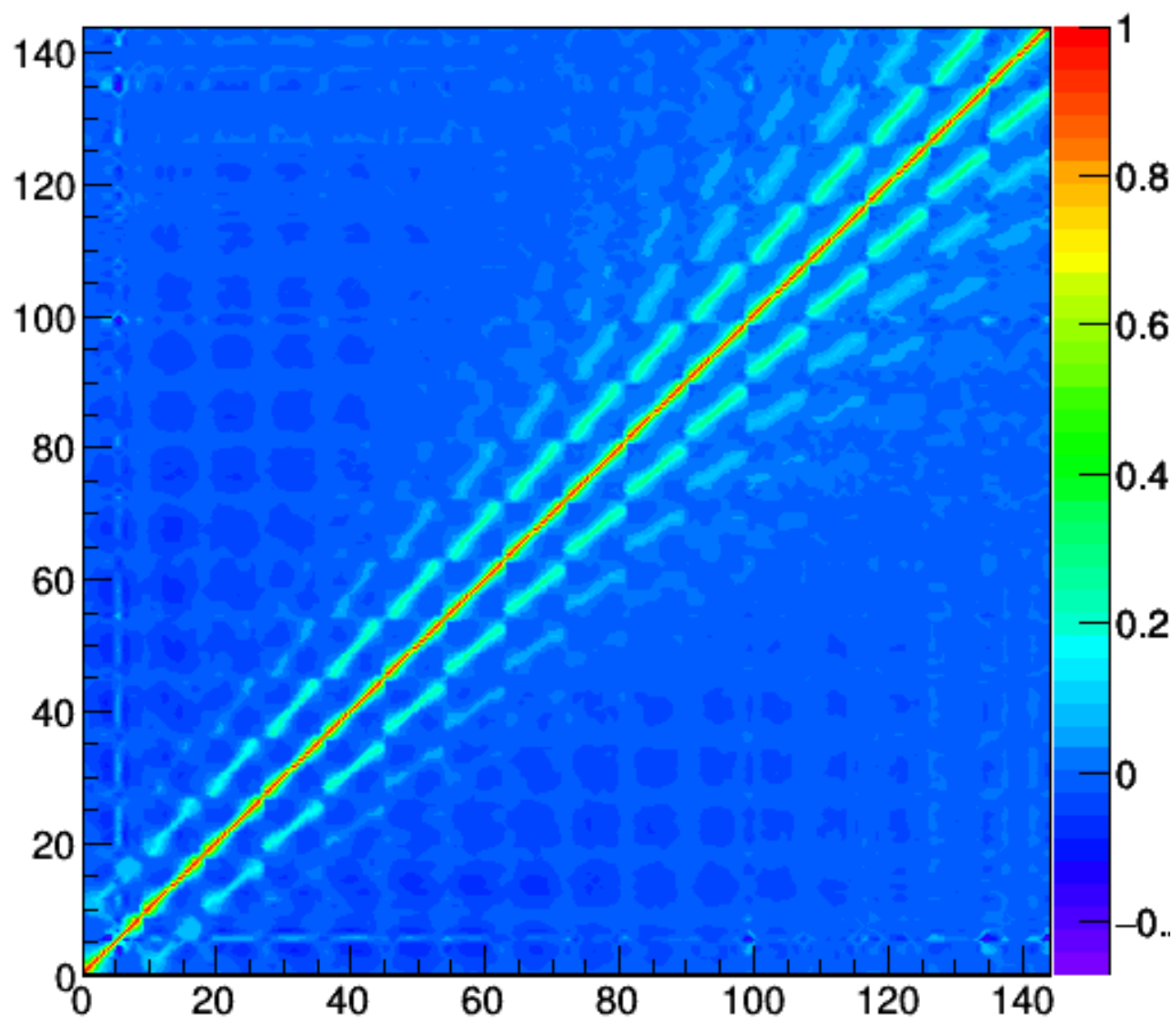


Normalized





Correlations (UD)



The end