

n³He Frequency Analysis - Fast Fourier Transform

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n3He DAQ Time Binning

- ▶ neutron pulses are at 60 Hz
- ▶ $1/60 = 0.0166667$ seconds between neutron pulses
- ▶ Clean DAQ
 - ▶ 50 kHz sample rate
 - ▶ $50 \text{ kHz} \times 0.01667 \text{ s} = 833$ maximum samples per T_0
 - ▶ 830 were used to allow time for triggering
 - ▶ 16 samples averaged for each of 49 recorded time bins per pulse
 - ▶ $16/(50 \text{ kHz}) = 0.32 \text{ ms}$ per time bin
 - ▶ 35 additional samples lost due to read out time
 - ▶ 15.68 ms of data taking per neutron pulse
 - ▶ 98 ms dead time per pulse

Section 4.2.4 of Kabir, Md Latiful, "A MEASUREMENT OF THE PARITY VIOLATING ASYMMETRY IN THE NEUTRON CAPTURE ON ^3He AT SNS" (2017). Theses and Dissertations–Physics and Astronomy. 45.

Time Bin Centers

Each time bin will be assigned a time according to the midpoint of the sample period

Pulse #	Bin #	Start(ms)	End(ms)	Center(ms)
0	0	0	0.32	0.16
0	1	0.32	0.64	0.48
0	2	0.64	0.96	0.80
0	\vdots	\vdots	\vdots	\vdots
0	47	15.04	15.36	15.20
0	48	15.36	15.68	15.52
1	0	16.6667	16.9867	16.8267
1	1	16.9867	17.3067	17.1467
1	\vdots	\vdots	\vdots	\vdots
1	48	32.0267	32.3467	32.1867
2	0	33.3333	33.6533	33.4933

or in general time bin t in pulse k will have a center time of

$$t(t, k) = (16.6667 \times k + 0.32 \times t + 0.16) \text{ ms} \quad (1)$$

Motivation

The goal of the FFT analysis is to look at the frequency components of the measured wire yields, and to see if it can offer a cause the oscillations in the asymmetry correlations. If the cause of the variations is resonance with the wires from an external then each wire is expected to have a consistent frequency somewhat near 210 Hz, but each wire is expected to differ somewhat.

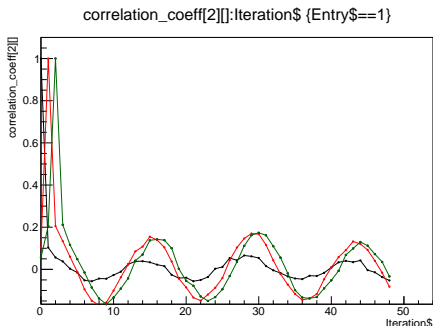


Figure: Correlations for time bins 0,1,2 wire 0 run 17785

Method

- ▶ Cern Root has a built in FFT functionality using FFTW (www.fftw.org/)
- ▶ This FFT package and others require a constant time sampling to work
- ▶ The dead time between pulses is not an integer multiple of the time bin length
- ▶ This prevent a direct application of Root's FFT package to the data runs
- ▶ Two Possible solutions:
 1. Apply the FFT to individual pulses and the combine the results from each pulse in a run
 2. Resample the data by interpolating between the data points to get a set of samples evenly spaced in time

Method 1

- ▶ Problems is high noise per pulse, especially when beam is on
- ▶ Averaging the pulses may solve the problem

Method 2

- ▶ Resampling increases the number of data points by interpolating between the measured pulse values
- ▶ Resampling does not increase accuracy of FFT but does create evenly spaced time bins
- ▶ This increases FFT processing time and memory requirements
- ▶ 833 samples per frame at 0.02 ms re-sample intervals
 - ▶ Each current 0.32 ms time bin repeats 16 times
 - ▶ Remaining 49 time bins can be interpolated by last and first time bins of two pulses
 - ▶ Down side is very large number of time bins in a run
- ▶ 119 samples per frame at 0.1401 ms re-sample intervals
 - ▶ Fewer samples for faster processing
 - ▶ Downside is more interpolation required as time bins don't align as well