

n3He Frequency Analysis - FFT Results Summary

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Chamber Layout

Run Selections

Instrumental Asymmetry Calculation Method

Possible Causes

Signal Wire Numbering

	Beam															
	S1	S2	S3	S4	S5	S6	S7	S8	S9	S10	S11	S12	S13	S14	S15	S16
i	8	17	26	35	44	53	62	71	80	89	98	107	116	125	134	143
h	7	16	25	34	43	52	61	70	79	88	97	106	115	124	133	142
g	6	15	24	33	42	51	60	69	78	87	96	105	114	123	132	141
f	5	14	23	32	41	50	59	68	77	86	95	104	113	122	131	140
e	4	13	22	31	40	49	58	67	76	85	94	103	112	121	130	139
d	3	12	21	30	39	48	57	66	75	84	93	102	111	120	129	138
c	2	11	20	29	38	47	56	65	74	83	92	101	110	119	128	137
b	1	10	19	28	37	46	55	64	73	82	91	100	109	118	127	136
a	0	9	18	27	36	45	54	63	72	81	90	99	108	117	126	135

17 HV Frames with 8 wires each

- Signal

16 signal Frames with 9 wires each

Tuesday Run List

Tuesday Run List					
	Initial Run	Final Run		Initial Run	Final Run
T1	17784	17834	ST1	38386	38416
T2	19114	19158	ST2	38566	38588
T3	20444	20493	T10	45032	45054
T4	21869	21919	T11	46416	46466
T5	24011	24061	T12	49663	49697
T6	26461	26503	T13	51076	51127
T7	27729	27755	T14	52467	52517
T8	30058	30074	T15	56073	56076
T9	32503	32535			

Runs were taken between 9:00am and 4:00pm while beam was off for maintenance, and the total time each Tuesday the beam was off time was variable.

ST# runs are Tuesdays from the Summer that Kabir used in his beam off Tuesday asymmetry calculations.

Time Bin and Wire Choices

The time bins and wires that are analyzed for the instrumental asymmetry were chosen to match those used in the physics asymmetry analysis.

- ▶ Time bins 5-44 inclusive were analyzed for the chamber wires
- ▶ The central row of wires was not analyzed
- ▶ Wires 5 and 6 were not analyzed as they did not provide a good signal.
- ▶ A total of 126 wires and with 40 times bins were analyzed.

Beam Off Asymmetry Calculation

The mean wire yield per pulses is calculated as

$$\bar{Y}_{i,j,k} = \frac{1}{40} \sum_{t=5}^{44} Y_{i,j,k,t} \quad (1)$$

where i is the wire number, j is the run number, k is the pulse number, t is the time bin number.

The single wire instrumental asymmetries, $A_{i,j,q}$, were calculated using a simple difference formula normalized by one volt to render it unitless.

$$A_{i,j,q} = \frac{\bar{Y}_{i,j,k}^{\uparrow} - \bar{Y}_{i,j,k'}^{\downarrow}}{1V} \quad (2)$$

where q is the asymmetry number, k and k' are consecutive pulses, \bar{Y}^{\uparrow} is a pulse with spin orientated in the $+\hat{z}$, and \bar{Y}^{\downarrow} in the $-\hat{z}$. Pulse and asymmetry numbers are indexed starting at zero.

Note: Beam on physics asymmetries were calculated over time bins 5 – 44, and that time bin range was used for all parts of the following analysis.

Scaling the Instrumental Asymmetry

The physics asymmetry is calculated as:

$$A_{phys} = \frac{1}{G_i} \frac{\bar{Y}_i^{\uparrow} - \bar{Y}_i^{\downarrow}}{\bar{Y}_i^{\uparrow} + \bar{Y}_i^{\downarrow}} = \frac{1}{G_i} \frac{S_i^{\uparrow} + b_i^{\uparrow} - S_i^{\downarrow} + b_i^{\downarrow}}{S_i^{\uparrow} + b_i^{\uparrow} + S_i^{\downarrow} + b_i^{\downarrow}} \quad (3)$$

$$\approx \frac{1}{G_i} \frac{S_i^{\uparrow} - S_i^{\downarrow}}{S_i^{\uparrow} + S_i^{\downarrow}} + \frac{1}{G_i} \frac{b_i^{\uparrow} - b_i^{\downarrow}}{S_i^{\uparrow} + S_i^{\downarrow}} \quad (4)$$

assuming $b_i \ll S_i$, where b is the beam on pedestal.

So to compare the instrumental asymmetry to the physics asymmetry:

$$A_{i,j,q} = \frac{\bar{Y}_{i,j,k}^{\uparrow} - \bar{Y}_{i,j,k'}^{\downarrow}}{1V}$$
$$\rightarrow A_{i,j,q,scaled} = \frac{\bar{Y}_{i,j,k}^{\uparrow} - \bar{Y}_{i,j,k'}^{\downarrow}}{2\bar{S}_i} \quad (5)$$

where G_i is the geometry factor for wire i , and \bar{S}_i is the average beam on signal over all beam on runs for wire i .

Initial Incorrect Asymmetry Calculation Method

- ▶ During Summer running most runs started on the same spin state, from this assumed all runs did such that for all $k = \text{even}$ pulses were spin up, and all $k = \text{odd}$ pulses were spin down.
- ▶ For each wire:
 1. Calculate

$$Y_{i,j,k=\text{even},\text{sum}} = \sum_{t=5}^{44} Y_{i,j,k=\text{even},t} \quad (6)$$

$$Y_{i,j,k=\text{odd},\text{sum}} = \sum_{t=5}^{44} Y_{i,j,k'=\text{odd},t} \quad (7)$$

2. Form difference: $D_{i,j,q} = Y_{i,j,k=\text{even},\text{sum}} - Y_{i,j,k=\text{odd},\text{sum}}$
 3. Fill $A_{i,j,q} = D_{i,j,q}/40$ into a separate TH1 histogram for each wire.
 4. Use GetMean() and GetMeanError() for mean and standard error from the histograms
 5. Divide histogram mean and standard error by $2\bar{S}_i G_i$
- ▶ Perform weighted sums of the wire values using physics asymmetry uncertainties as shown on slide 9.

Kabir's Instrumental Asymmetry Weighting Method

Instrumental Asymmetry

$$A_i = \frac{Y_i^\uparrow - Y_i^\downarrow}{Y_i^\uparrow + Y_i^\downarrow} = \frac{(S_i^\uparrow + b_i^\uparrow) - (S_i^\downarrow + b_i^\downarrow)}{(S_i^\uparrow + b_i^\uparrow) + (S_i^\downarrow + b_i^\downarrow)} \approx \frac{S_i^\uparrow - S_i^\downarrow}{S_i^\uparrow + S_i^\downarrow} + \frac{b_i^\uparrow - b_i^\downarrow}{S_i^\uparrow + S_i^\downarrow} \quad (5)$$

where $b_i^{\uparrow\downarrow}$ is the contribution from pedestal.

$$A_{inst}^i = \frac{1}{G_i} \frac{b_i^\uparrow - b_i^\downarrow}{2S_i} \quad (6)$$

$$A_{inst} = \frac{\sum_i w_i A_{inst}^i}{\sum_i w_i} \quad (7)$$

$$(\delta A_{inst})^2 = \frac{\sum_i w_i^2 (\delta A_{inst}^i)^2}{(\sum_i w_i)^2} \quad (8)$$

where,

$$w_i = \delta^{-2} A_{phy}^i \quad (9)$$

From meeting on 2017/04/28, Systematics 7, by Kabir.

Corrected Asymmetry Calculation Method

- ▶ For each wire and pair of consecutive pulses k and k' :
 1. Determine SF state for two consecutive pulses and assign values:
 - ▶ $SF_{i,j,k} = 1$ for SF off and neutron spin up
 - ▶ $SF_{i,j,k} = -1$ for SF on and neutron spin down
 2. Stop calculation and give error if pulse sequence is not $\uparrow\downarrow$ or $\downarrow\uparrow$
 3. Calculate $Y_{i,j,k,sum}$ and $Y_{i,j,k',sum}$
 4. Form difference: $D_{i,j,q} = SF_{i,j,k} Y_{i,j,k,sum} + SF_{i,j,k'} Y_{i,j,k',sum}$
 5. Calculate mean and standard error of $D_{i,j,q}$ for each wire over all asymmetries in a run, and divide results by 40.
 6. Divide mean and standard error by $2\bar{S}_i G_i$
- ▶ Perform weighted sums of the wire values using physics asymmetry uncertainties as shown on slide 9.

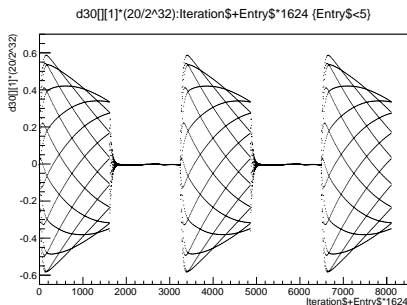
Spin State Checking Method

- ▶ To check if the spin flipper is on or off the average of the absolute value of the spin flipper signal was taken:

$$SF_{i,k,check} = \frac{1}{1624} \sum_{t=0}^1 623abs(SF_{i,k,t}) \quad (8)$$

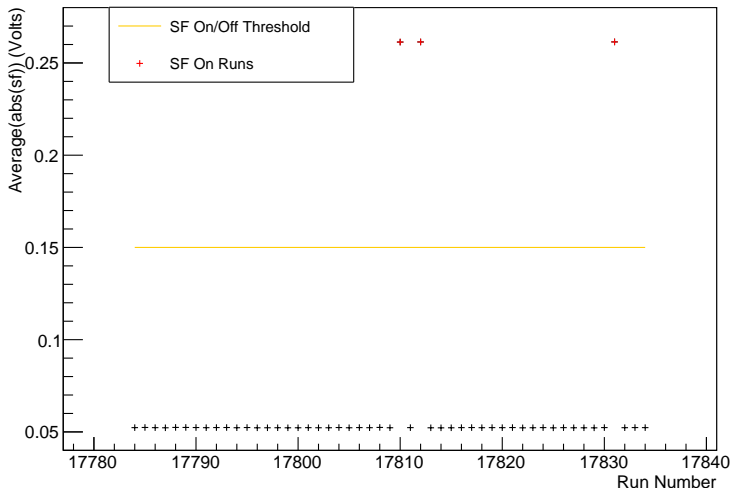
where i is the run number, k the pulse number, and t the time bin number.

- ▶ $SF_{i,k,check} > 0.15 \rightarrow$ SF on
- ▶ $SF_{i,k,check} \leq 0.15 \rightarrow$ SF off



Spin State Checking Method

First Pulse Spin Flipper State vs. Run Number



Spin sequence consistency was also checked past the first pulse, and were consistence across runs.

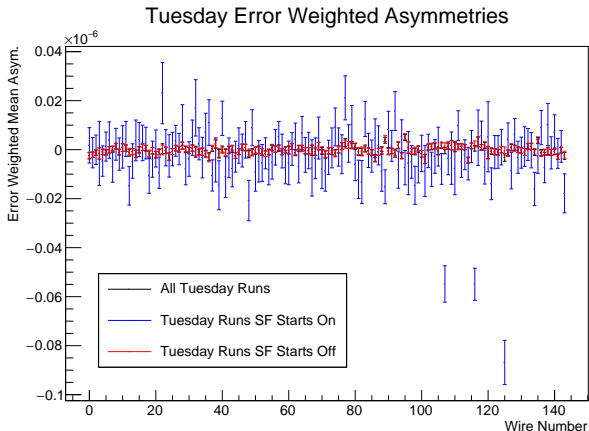
What does this Change

- ▶ Most runs started spin flipper off as was assumed in the incorrect analysis
- ▶ Of the 565 beam off Tuesday runs, 16 were found to start spin flipper on.
- ▶ This would change the sign of the asymmetry in those 16 runs.

Tuesday Runs that started SF On

run number	run number
17810	27745
17812	32504
17831	32518
19150	45047
20478	45049
24039	46448
24049	46466
26490	51117

Un-Scaled Wire Asymmetries Following Spin State



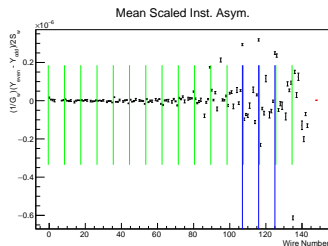
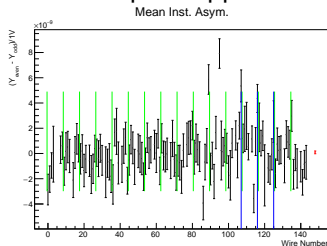
The error weighted average calculated from the mean and standard error of the asymmetry calculated for each run.

Note: Blue lines switch sign between SF tracked and untracked.

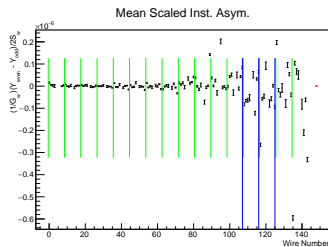
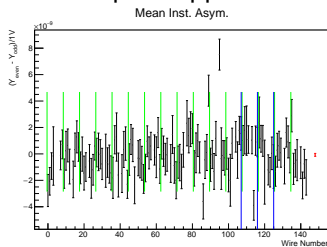
Wires 107, 116, 125 are the outliers

Scaled Wire Asymmetry Comparison

► Incorrect Spin Flipper Tracking



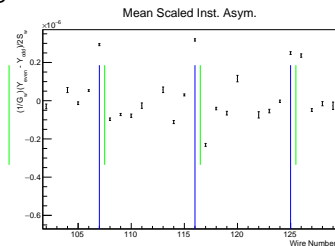
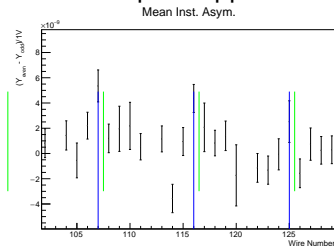
► Correct Spin Flipper Tracking



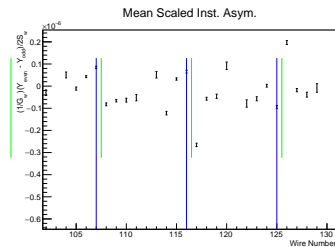
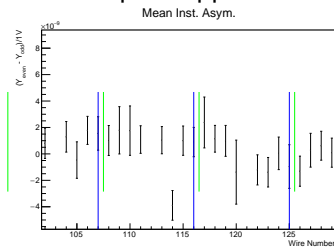
Vertical blue lines indicate position of 3 outlier points from slide 15.

Scaled Wire Asymmetry Comparison

► Incorrect Spin Flipper Tracking



► Correct Spin Flipper Tracking



Vertical blue lines indicate position of 3 outlier points from slide 15.

Weighted Asymmetry Results

- ▶ Incorrect Spin Treatment

$$A_{inst,wrong} = (2.4 \pm 1.97) \times 10^{-9} \quad (9)$$

- ▶ New Result Tracking Spin Flipper State

$$A_{inst} = (0.26 \pm 1.97) \times 10^{-9} \quad (10)$$

- ▶ Gericke's Result Tracking Spin Flipper

$$A_{inst,G} = (0.26 \pm 1.97) \times 10^{-9} \quad (11)$$

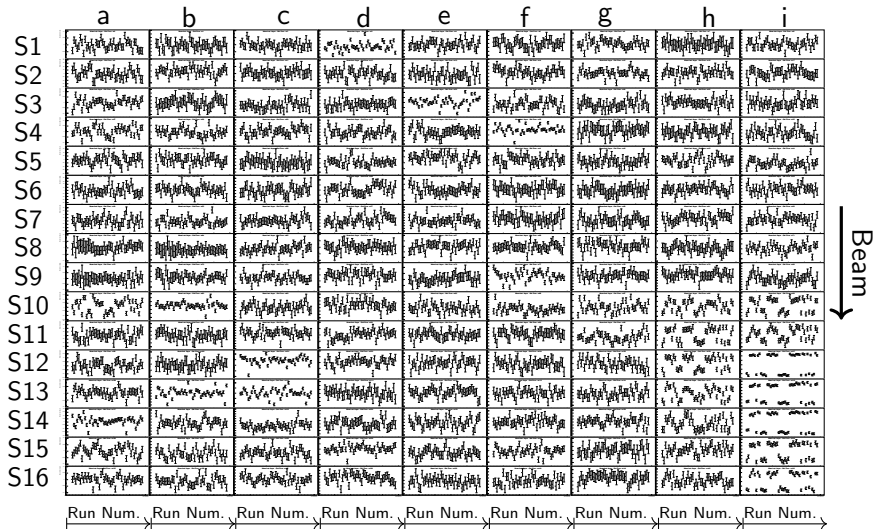
- ▶ Kabir's Physics Asymmetry

$$A_{phys,K} = (10 \pm 10) \times 10^{-9} \quad (12)$$

Summary

- ▶ A mistake was made in the initial instrumental asymmetry analysis by not tracking the spin state likely when an initial version of the code was used beyond its intended scope of analysing only a small subset of run and its underlying assumptions was not re-checked before re-using the full analysis.
- ▶ After comparing this initial incorrect analysis with Michael Gericke's spin state tracking code, the mistake was found and corrected providing identical answers.
- ▶ 3 wires in particular changed their value greatly with the starting spin state of the run
- ▶ Since these were edge wires the effect was magnified due to the geometry factors applied to the wires.
- ▶ The cause the changes is unknown, and may indicate an electronics issue in approximately 3% of runs.

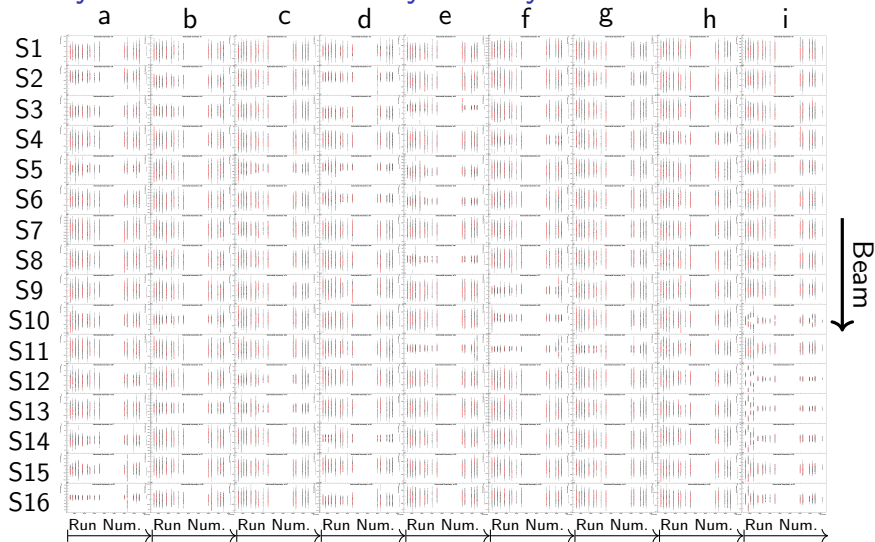
Tuesday 2 Instrumental Asymmetry



X-axes are all the same. Y-axes are all the **different**

Row S12-14 in column i are wires 107,116,125

Tuesday All Instrumental Asymmetry

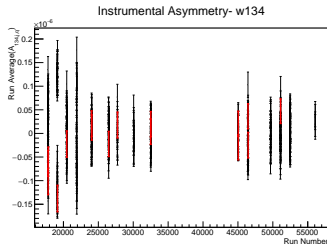
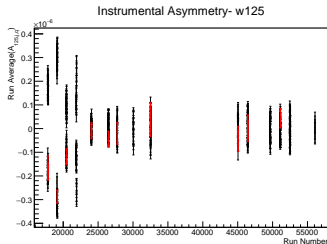
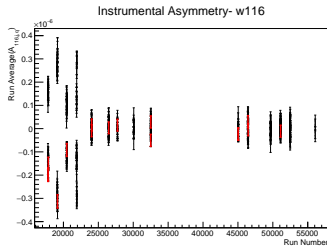
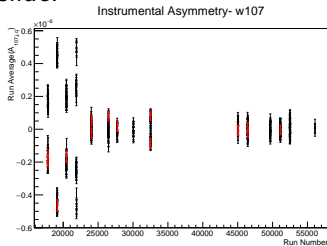


X-axes are all the same. Y-axes are all the **different**, but labeled.

Row S12-14 in column i are wires 107,116 and 125.

Tuesday All Instrumental Asymmetry

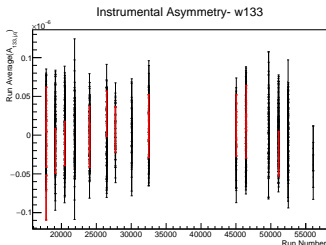
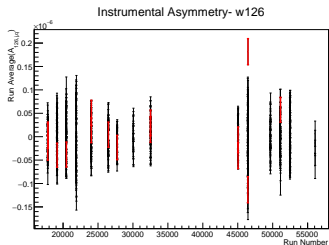
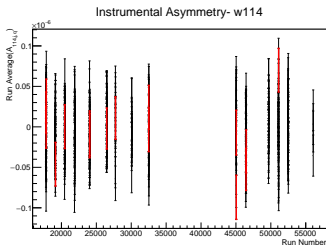
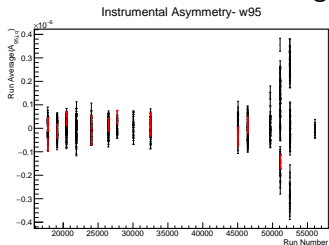
4 of the 5 bimodal wires from the lower right corner of the previous slide.



The asymmetry run averages indicated in red are the 16 runs that started spin flipper on.

Tuesday All Instrumental Asymmetry

4 other wires from the target chamber.



The asymmetry run averages indicated in red are the 16 runs that started spin flipper on.