

List of Concepts Covered.

* Historical Underpinnings:

- Planck's law, Bohr model, de Broglie wavelength
 $E = \hbar\omega$, $L = \hbar n$, $p = \hbar k$
- what basic principle did each contribute to Q.M.?
- calculations of each effect

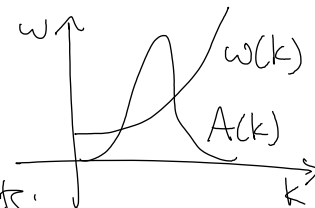
* probability distribution $P(x)$ & amplitudes $\psi(x)$

- calculate $\langle f(x) \rangle$, $\sigma_x^2 = \langle x^2 \rangle - \langle x \rangle^2$
- Born interpretation of wave function
 how is it similar to / different than classical $P(x)$?

* dispersion relation and wave packets

- understand relations between E, p, ω, k
 quantization & dispersion
- be able to calculate v_g , v_p
 from a dispersion curve.
- construct wave packets as superposition of plane waves with amplitude $A(k)$
 (Fourier transforms)
- describe major features & effects on packets:
 fundamental frequency, carrier frequency, bandwidth.
- explain wave-particle duality (complementarity)
 and Heisenberg Uncertainty Principle in terms of packets.
- compare/contrast classical waves/particles w/ quantum.

E	ω
p	k



* Wave equation

- derive for a string, show that $f(x \pm vt)$ are solutions
- obtain the velocity and impedance, calculate power transferred.
- switch back and forth between the dispersion relation and wave eq.

* Schrodinger equation

- explain how TDSE evolves the state in time

- and how the TISE is used to solve the TDSE.
- show how TDSE is a generalization of old quantum theory.
Planck's law, de Broglie wavelength, dispersion relation.
 - solve the TISE for: free particle, infinite square well, SHO.
calculate amplitudes of initial wavefunction & time dependence
 - matrix elements for the SHO.
 - what is the role of boundary conditions?

\hbar^2